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# A method for accurate localization of the first heart sound and possible applications

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#### **Abstract**

We have previously developed a method for localization of the first heart sound  $(S_1)$  using wavelet denoising and ECG-gated peak-picking. In this study, an additional enhancement step based on cross correlation and ECG-gated ensemble averaging (EA) is presented. The main objective of the improved method was to localize  $S_1$  with very high temporal accuracy in (pseudo-) realtime. The performance of S1 detection and localization, with and without EA enhancement, was evaluated on simulated as well as experimental data. The simulation study showed that EA enhancement reduced the localization error considerably and that  $S_1$  could be accurately localized at much lower signal to noise ratios (SNR). The experimental data was taken from ten healthy subjects at rest and during invoked hyper- and hypotension. For this material, the amount of correct  $S_1$  detections increased from 91% to 98% when using EA enhancement. Improved localization performance was also demonstrated when EA enhancement was used for continuous tracking of blood pressure changes and for respiration monitoring via the electromechanical activation time. These are two typical applications where accurate localization of  $S_1$  is essential for the results.

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#### 1. Introduction

Accurate localization of heart sounds in noisy phonocardiographic (PCG) signals is difficult. Several methods such as Shannon energy (Liang *et al* 1997), homomorphic filtering (Gupta *et al* 2007), frequency analysis (Iwata *et al* 1980), entropy (Yadollahi and Moussavi 2006) and recurrence time statistics (Ahlstrom *et al* 2005b) have been suggested. Common for these methods is that they operate solely on the PCG signal with the main purpose of detecting occurrences, not precise locations, of the heart sounds. All of these methods are also based on sliding window approaches, where the width of the window imposes restraints on temporal localization performance. In applications where high accuracy is required, such as continuous tracking of blood pressure changes or respiration monitoring via the electromechanical activation time, sliding window based approaches are thus not suitable.

As the first heart sound  $(S_1)$  occurs subsequent to the QRS-complex in the electrocardiographic (ECG) signal, it is possible to improve the robustness of  $S_1$  localization algorithms by defining a search window based on the ECG. To be able to accurately locate  $S_1$  within such a window, wavelet denoising can be used to emphasize  $S_1$  occurrences (Ahlstrom *et al* 2005a, Hongyan and Zhigang 2000, Johansson *et al* 2006, Shah and Michaels 2006). In the present study, an additional processing step using ECG-gated ensemble averaging (EA) and cross correlation is presented to further emphasize  $S_1$  occurrences. EA is a reliable noise reduction technique that has proven useful on many other biomedical signals such as evoked potentials and late potentials, see Sörnmo and Laguna (2005) and references therein. In this study, the performance of  $S_1$  detection and localization, with and without EA enhancement, will be compared and evaluated on simulated and experimental  $S_1$  data.

Simultaneous recordings of ECG and PCG signals provide data to noninvasively estimate the cardiac electromechanical activation time (Moyers  $et\ al\ 2007$ ), here defined as the time interval from the R-peak in the ECG to S<sub>1</sub> in the PCG (RS<sub>1</sub>). The RS<sub>1</sub> interval has previously been used to monitor respiration rate (Johansson  $et\ al\ 2006$ ) and to track changes in blood pressure (Ahlstrom  $et\ al\ 2005a$ ). S<sub>1</sub> detection without EA enhancement was used in both those studies. In the present study, possible improvements in S<sub>1</sub> localization accuracy by using EA enhancement will be investigated. The same data material as used in the previous two studies was used. A portable multi-sensor device able to monitor respiration and/or blood pressure would not only be interesting in a clinical setting, but also in home health care or in exercise testing and sport sciences.

The aims of this paper are to investigate EA enhancement as a preprocessing step to facilitate detection and localization of  $S_1$ , and to evaluate possible performance gains on both simulated and experimental data.

#### 2. Methodology

The RS<sub>1</sub>-interval is defined as the time lag between the R-peak of the ECG signal and the subsequent  $S_1$  occurrence in the PCG signal. R-peak detection will not be described further, instead we refer to the review by Köhler *et al* (2002).

To detect and localize  $S_1$  without EA enhancement, we utilized a previously described algorithm where  $S_1$  occurrences are emphasized by wavelet packet denoising of the PCG signal using a Daubechies 6 wavelet and Stein's unbiased estimate of risk threshold (Ahlstrom et al 2005a). This method basically chooses the first local maximum within a predefined time window in the

PCG signal as the location of  $S_1$ . The predefined window had a width of 250 ms, starting with the R-peak in the ECG.

To detect and localize  $S_1$  with EA enhancement, we started with the same wavelet denoising scheme as above. The next step was to create a patient specific template of  $s_1(n)$  by EA. An additive signal model was assumed, where the measured signal  $x_i(n)$  is composed of random noise  $v_i(n)$  and a deterministic signal component  $s_1(n)$  according to equation (1). In accordance with the search window defined above, the realizations  $x_i(n)$  were extracted from the PCG signal using a 250 ms window starting with the R-peak in the ECG. Each heart cycle is denoted by the index i=1,...,M, while n=1,...,250 ms denotes time. The occurrence time of the signal component  $s_1(n)$  is allowed to vary in time with respect to the QRS occurrence time, and this so called latency shift is accounted for by  $\theta_i$ .

$$x_i(n) = s_1(n - \theta_i) + v_i(n) \tag{1}$$

To get an initial estimate of  $s_I(n)$ , the sound was assumed to occur after a constant time delay relative to the R-peak. The maximum likelihood estimator of  $s_I(n)$  is then, assuming fixed white Gaussian noise, given by the ensemble average  $\hat{s}_{w:M}(n)$  in equation (2). The notation w:M indicates that the w most recent heart cycles are used in the estimation of the current heart cycle M. The second part of the equation estimates  $\hat{s}_{w:M}(n)$  in a recursive manner, where the estimate is refined as new heart cycles become available.

$$\hat{s}_{w:M}(n) = \frac{1}{w+1} \sum_{i=M-w}^{M} x_i(n) \approx \hat{s}_{w:M-1}(n) + \frac{1}{w+1} (x_M(n) - \hat{s}_{w:M-1}(n))$$
 (2)

The time delay between the R-peak and  $S_1$  is, however, not entirely constant. To compensate for this variation in latency, Woody's method was applied (Woody 1967). The outline of Woody's original algorithm is as follows:

- 1. Estimate a typical heart sound using equation (2)
- 2. Use cross correlation between each heart sound segment  $x_i$  and the typical heart sound to find  $\theta_i$ . (The maximum likelihood estimator of  $\theta_i$  is determined as the maximum of the cross correlation function (Sörnmo and Laguna 2005)).
- 3. Calculate a new typical heart sound using equation (2), but use the latency corrected segments instead of  $x_i(n)$ .
- 4. Iterate step 2-4 until the difference between a new  $\theta$  and an old  $\theta$  is sufficiently small.

To fit Woody's algorithm into the recursive framework, a few modifications were made; latency correction was performed by cross correlating  $x_M(n)$  with the previous estimate  $\hat{s}_{w:M-1}(n)$  before calculating  $\hat{s}_{w:M}(n)$ , and only one iteration step was carried out.

Once the estimate  $\hat{s}_{w.M}(n)$  is obtained, this template is cross correlated with the PCG signal using lagged products. The S<sub>1</sub> occurrence was then determined as the maximum peak within the predefined window, see figure 1. Note that the only significant, yet important, difference between the algorithm described in (Ahlstrom *et al* 2005a) and the new algorithm is the EA enhancement step.

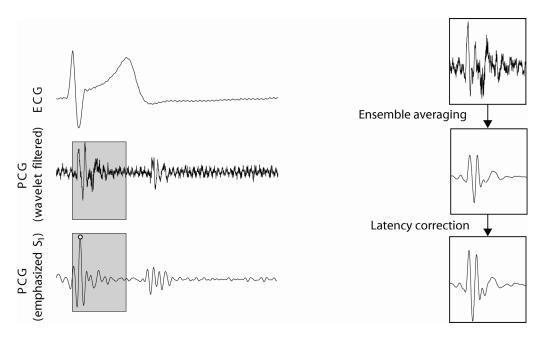


Figure 1. Example showing the predefined window (grey boxes) in the PCG. The window ranges from the R-peak in the ECG and have a width of 250 ms. In the right-hand side of the figure, the effect of ensemble averaging and latency shift correction is illustrated (w=100). The resulting template is cross correlated with the wavelet filtered PCG signal (EA enhancement), resulting in a signal with emphasized s<sub>1</sub>-occurences (the s<sub>1</sub>-detection is marked by the white circle).

#### 2.1. Simulations

A simulation study was carried out to investigate the robustness to noise and the necessary amount of realizations needed for ensemble averaging. A simulated  $s_1(n)$ , originally presented by Chen *et al* (1997), was used for these investigations. The model is composed of a valvular component and a myocardial component, where the valvular component is modeled as a sum of exponentially decaying sinusoids while the myocardial component is represented by an amplitude and frequency modulated sinusoid. All calculations were performed in MATLAB 7.3 (The MathWorks, Inc., Natick, MA, USA).

The reduction in noise level as a function of the number of heart cycles was investigated as the difference between the original and the estimated signal in the mean square error sense (MSE). White noise was added corresponding to an SNR of -20, -15, -10 and -5 dB.

The percentage of correct detections as well as the mean localization error was evaluated as a function of SNR, both with and without EA enhancement, using a simulated signal consisting of 1000 heart cycles, where  $\hat{s}_{w:M}(n)$  was estimated recursively with w=20. An error margin of  $\pm 1$  and  $\pm 3$  ms was used for deciding whether a localization was correct or not.

## 2.2. Feasibility study

Ten healthy test subjects volunteered for the feasibility study (mean  $\pm$  SD); age = 28  $\pm$  3 years, length = 183  $\pm$  8 cm, weight = 83  $\pm$  11 kg, male: female = 8:2. All subjects gave their informed consent to participate and the local ethics committee approved the study.

The acquisition protocol consisted of five phases; a five minute resting phase, about five minutes of hypotension, five minutes of rest, about two minutes of hypertension and finally another five minutes of rest. Lower body negative pressure (LBNP) was applied to invoke hypotension and isometric muscle contraction to invoke hypertension. More details about the acquisition protocol are available in previous publications (Ahlstrom *et al* 2005a, Johansson *et al* 2006).

The ECG (Diascope DS 521, S&W Medicoteknik AS, Albertslund, Denmark, standard 3-lead placement) and the PCG (Siemens E285E microphone amplifier with a Siemens EMT25C microphone, Solna, Sweden, located at the second intercostal space along the right sternal border) were recorded. The test subjects were instructed to relax and breathe naturally throughout all measurement phases. As respiration reference, the Optovent system (Accelerator AB, Linkoping, Sweden) was used. The ECG, PCG and respiratory signals were digitized with a DAQ-Card 700 from National Instruments (Austin, TX, USA,  $f_s = 2$  kHz).

Blood pressure was measured with either an automatic oscillometric instrument (Datascope Accutor Plus, Paramus, NJ, USA, located on the upper left arm, n = 8) or a cannula (Becton Dickinson, Franklin Lakes, NJ, USA) positioned in the left radial artery connected to a blood pressure transducer (Abbott Critical Care Systems, Chicago, IL, USA) and connected to a monitor (Medimatic, Genoa, Italy, n = 2). Systolic blood pressure was calculated automatically about every 60 seconds (Datascope) and for each cardiac pulse in the intra-arterial recordings (Medimatic).

The QRS detection algorithm used in the applications was based on Börjesson *et al* (1982) and operated according to the following steps; filtering (5<sup>th</sup> order Butterworth band pass filter with cut-off frequencies 5 and 50 Hz), squaring and thresh holding.

Inter-subject variations in the signal templates extracted with Woody's method were calculated as the maximum value of the cross correlation function. Each template was normalized so that the auto-correlations at zero lag were equal to one. All available heart sounds in each patient were used in these calculations. The processing of data was performed in MATLAB 7.3 (The MathWorks, Inc., Natick, MA, USA).

#### 2.2.1. $S_1$ localization

The number of correct  $S_1$  localizations was calculated via the derived trace of  $RS_1$ -intervals. To get a quantitative measure of a correct  $S_1$  localization, detections giving rise to  $RS_1$ -intervals locally deviating more than three standard deviations from its neighbouring  $RS_1$ -intervals were considered erroneous. The running standard deviation was calculated in a 5 seconds sliding window. This analysis was performed on the entire recordings without investigating the five measurement phases separately. The  $RS_1$ -traces were determined both with and without EA enhancement of the PCG signal, and the averages used w=50 heart cycles. To avoid unnecessary false detections close to the border of the signals,  $\hat{s}_{w:M}$  (n) was estimated in a noncausal manner so that 50 heart cycles always were used in the estimation.

#### 2.2.2. Continuous tracking of blood pressure changes

The correlation coefficient between systolic blood pressure and the RS<sub>1</sub>-trace, derived with and without EA enhancement, was calculated. Since both the systolic blood pressure signal and the RS<sub>1</sub>-trace contain higher frequency components such as breathing variations, the signals were low-pass filtered with a 5<sup>th</sup> order Butterworth filter, using a cut-off frequency corresponding to

0.02 Hz (assuming a heart rate of 1 beat per second). In the oscillometric recordings, data were upsampled to one sample per heartbeat by using piecewise cubic Hermite interpolating polynomials.

#### 2.2.3. Continuous monitoring of respiration

The respiratory variation in the RS<sub>1</sub>-trace, derived both with and without EA enhancement, was investigated in the different measurement phases separately (all three resting phases were put together). To avoid disturbances when invoking blood pressure changes a fifteen second (centred) data window was removed at each measurement phase transition prior to data analysis. Reference respiratory cycles were set as the regions between expiration marks in the respiration reference.

The number of false positive and false negative breath detections was calculated. A breath was assumed correct if there was exactly one local minimum in the RS<sub>1</sub>-trace during the reference respiratory cycle. A false positive was registered if there was more than one minimum and a false negative if there were no minima (an example of a false positive can be found about one third into the respiratory trace in figure 4).

#### 3. Results

#### 3.1. Simulations

After a few heart cycles, the EA enhancement algorithm provided excellent results at an SNR of 10 dB, see figure 2. At -15 dB, the algorithm stabilized at a detection ratio of about 96% after 40 heart cycles. Corresponding values for -20 dB were 100 heart cycles and a detection rate of 45%. The same convergence rates were also seen in the mean square error plot (figure 2).

Localization errors as a function of SNR are presented in figure 3(a). The mean error rapidly converged to zero, but outliers gave a certain amount of detection errors. With EA enhancement, accurate results (95% correct detections) with localization errors of less than  $\pm 1$  ms were obtainable with an SNR of at least -3 dB (-10 dB for an accuracy of  $\pm 3$  ms). Without EA enhancement, accurate results were obtainable at an SNR of -7 dB ( $\pm 3$  ms), while the best achievable detection rate was about 45% using an error tolerance of  $\pm 1$  ms, see figure 3(b).

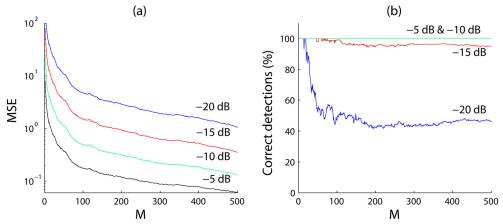
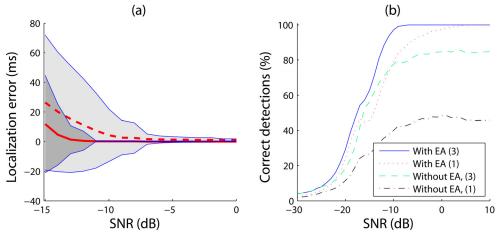


Figure 2. Mean square error (MSE) between the original signal and the estimated signal as a function of the number of heart cycles (M) used for averaging (a). The different lines correspond to an SNR of -20, -15, -10 and -5 dB. Also shown is the percentage of correct detections as a function of the number of heart cycles used for noise reduction (b). The different lines correspond to an SNR of -20, -15, -10 and -5 dB (-10 and -5 dB are on top of each other).



**Figure 3.** The localization error as a function of SNR (a). The bold solid line and the bold dashed line represent the mean localization error with and without EA enhancement, respectively. The shaded areas represent the standard deviation of the localization error with (dark grey) and without (light grey) EA enhancement, respectively. Also shown are the percentages of correct detections as a function of SNR (b). The different lines correspond to two error tolerances (errors of 1 and 3 ms were allowed, respectively) both with and without EA enhancement. EA was performed using w=20 heart cycles.

#### 3.2. Feasibility study

Results obtained without EA enhancement have previously been reported by the authors (Ahlstrom *et al* 2005a, Johansson *et al* 2006). Data from two subjects were excluded due to difficulties for the subjects to adapt to the measurement situation. The total number of detected heartbeats was 11398 and the amounts of correct heart sound detections are presented in table 1. An example of an original heart sound and the ensemble averaged heart sound was shown in figure 1. The cross correlation between signal templates from different subjects was  $0.57\pm0.16$  (Mean $\pm$ std, range 0.26-0.81), indicating considerable morphological inter-subject variations.

Table 1. Correct S <sub>1</sub> detections (%)				
Subject	Without EA	With EA		
1	96.5	98.5		
2	86.7	87.9		
3	89.2	96.0		
4	98.6	99.6		
5	94.5	99.5		
6	95.5	100		
7	86.4	99.0		
8	77.7	100		
Mean±std	90.6±7.1	97.6±4.1		

### 3.2.1. Continuous tracking of blood pressure changes

The reference blood pressure measurements showed that all subjects were normotensive with (Mean±std) systolic blood pressure 119±8 mmHg and diastolic blood pressure 71±9 mmHg. LBNP reduced upper body systolic blood pressure by 24±14 mmHg and the static muscle contraction increased it by 18±12 mmHg. Table 2 contains correlation coefficients between systolic blood pressure and the RS<sub>1</sub>-trace, showing improved performance with EA enhancement.

Table 2. Correlation coefficients, low pass filtered systolic blood pressure vs. RS<sub>1</sub>-interval

Subject	Without EA	With EA	
1	0.83	0.86	
2	0.91	0.85	
3	0.44	0.58	
4	0.70	0.73	
5	0.74	0.75	
6	0.67	0.74	
7	0.76	0.77	
8	0.73	0.84	
Mean±std	$0.72\pm0.10$	$0.76\pm0.09$	

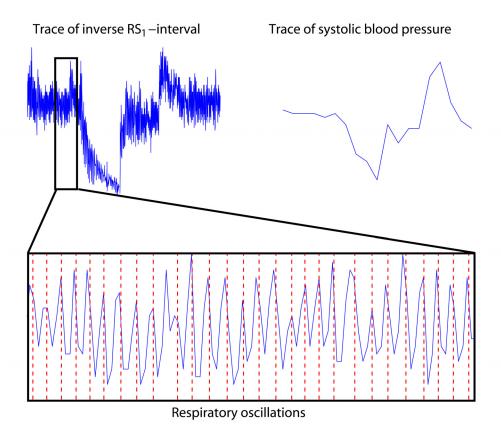


Figure 4. Example showing all five measurement phases (20 minutes) from one test subject; the inverse of the  $RS_1$ -interval trace (top left), systolic blood pressure (top right) and an enlargement showing the respiratory oscillations. The dashed vertical lines are breaths as determined by the respiration reference.

# 3.2.2. Continuous monitoring of respiration

The number of respiratory cycles analyzed was 2326, and the amount of false positive and false negative breath detections is summarized in table 3. Clearly, EA enhancement provided improved results, especially in the very noisy hypotension phase. It is also evident that false positives dominated false negatives. The correspondence between respiration and the oscillatory variations

in  $RS_1$ -trace is illustrated in figure 4. The breath detection results are based on data where only respiratory cycles without false  $S_1$  detections are used.

Table 3. FP and FN breath detections (%).

	Witho	Without EA		h EA
	FP	FN	FP	FN
Rest	20	4	19	1
Hypotension	58	2	39	8
Hypertension	22	6	21	4

#### 4. Discussion

A novel method for emphasizing and accurately localizing  $S_1$  in PCG signals has been introduced, and improved localization performance was demonstrated on both simulated and experimental data. Applications are primarily seen in situations where time intervals, such as the  $RS_1$ -interval, need to be determined with very high accuracy. Tracking variations in the  $RS_1$ -trace due to blood pressure changes or respiration are typical applications.

Several methods have been suggested for heart sound localization (Ahlstrom *et al* 2005b, Gupta *et al* 2007, Iwata *et al* 1980, Liang *et al* 1997, Yadollahi and Moussavi 2006). Common for these methods are that they are operating with the main purpose of detecting, not accurately localizing, the heart sounds. All of these methods operate on data derived from sliding windows with a duration of at least 50 ms. The width of the window provides a lower limit to the best possible time resolution of the S<sub>1</sub> localization. Even when using overlapping windows, this problem remains. All in all, the accuracy of the S<sub>1</sub> localization will not be accurate enough for our suggested applications.

Using ECG-gated EA for noise reduction and cross correlation for localization, we are able to locate  $S_1$  with high accuracy. The ECG signal is an inherent part of the applications, so no additional sensors are needed. The R-peak in the ECG is used to find  $S_1$  whereupon the localization algorithm can focus on fine-tuning its exact position. The search window which was used to roughly locate  $S_1$  was excessively set to 250 ms in this study. This window width is not critical, and was chosen to make sure that  $S_1$  was contained in the time window even at very low heart rates.

The noise reduction abilities of ensemble averaging rest upon a number of assumptions whose validity should be commented (Sörnmo and Laguna 2005). (i) The noise should be zero mean. The PCG signal is measured as a time series of fluctuations whose DC level is irrelevant. Subtracting the mean or high pass filtering the signal does not influence the frequency content of the heart sounds. (ii) The noise should be uncorrelated from heart sound to heart sound. This is usually the case, but power line interference presents potential problems. (iii) The morphology of S<sub>1</sub> should be fixed from heart cycle to heart cycle. This means that the alignment should be perfect and that the shape and width of S<sub>1</sub> should be constant. It has been argued that ensemble averaging is inappropriate for noise reduction of PCG signals (Haghighi-Mood and Torry 1996) since the morphology of heart sounds varies with physiological processes such as respiration. However, these variations in morphology mostly affect the second heart sound (S<sub>2</sub>) while the appearance of S<sub>1</sub> is quite robust. Averaging techniques such as Dynamic Time Warping or Integral Shape Averaging (Boudaoud 2005), which are able to compensate for time shifts and time scale fluctuations, might however improve the template. (iv) There should be no correlation between the heart sounds and the noise. This issue is of no concern in this study. (v) The statistical distribution of the noise should be Gaussian. Ensemble averaging is an optimal estimator if the noise is Gaussian, however, preliminary results indicate that the noise distribution was slightly subgaussian in this study. This implies that a more robust averaging technique might improve the results. This issue is left for future studies.

In previous research, wavelets have been used for emphasizing heart sounds in the PCG signal and for automatic determination of the RS<sub>1</sub>-interval (Ahlstrom *et al* 2005a, Hongyan and Zhigang 2000, Johansson *et al* 2006, Shah and Michaels 2006). In wavelet analysis, a multi scale representation of the signal is created by correlation with a scaled mother wavelet. The EA enhancement approach is related to the wavelet technique where  $\hat{s}_{w:M}(n)$  can be seen as a patient-specific mother wavelet determined from the signal itself. A major difference to wavelet analysis is, of course, that correlation only operates on a single scale. In this study, it was found that the inter-subject variability of  $\hat{s}_{w:M}(n)$  should not be neglected, thus indicating that EA enhancement is a necessary processing step. Possible reasons for this inter-subject variability are factors such as the transthoracic transfer function as well as hemodynamic differences in the cardiovascular system.

The simulation study showed that an SNR above -3 dB is required to get reliable localization results with an accuracy of  $\pm 1$  ms. This accuracy is required when monitoring respiration via the RS<sub>1</sub>-trace, as peak to peak values of about 3 ms are expected (Johansson *et al* 2006). In other applications, such as in the tracking of blood pressure changes, less accurate localization is required (Ahlstrom *et al* 2005a), allowing an SNR of about -10 dB. The simulation results indicate that it is not possible to obtain reliable S<sub>1</sub> localizations with an accuracy of  $\pm 1$  ms without using EA enhancement. This is explained by figure 3, which indicates that the localization error converges very slowly towards zero without EA enhancement, even at high SNR. It may be doubted whether validation of the method with white noise is justified. Due to the wavelet noise reduction, noise will probably not be Gaussian any more. Therefore the simulation results may be too optimistic. This will, however, affect the analysis of both the old and the new method in a comparable manner.

The correct localization rate increased from 91% to 98% when using EA enhancement on experimental data. Higher error rates were found during the blood pressure provocations, probably due to increased noise levels. In the hypotension phase, considerable acoustic noise originating from the LBNP device was present, and in the hypertension phase, muscle contraction altered the damping characteristics of the thorax. In the latter case, the deterministic part of equation (2) is altered, and it takes some time for the recursive algorithm to adapt to the new measurement situation.

Validation of the method was shown in simulated data only whereas feasibility was shown in a group of 10 healthy subjects. It would have been interesting to compare our method with an independent method, but to our knowledge, no other methods exist for accurate S<sub>1</sub> localization. Similar methods based on wavelet denoising has been used by Hongyan and Zhigang (2000) and Shah and Michaels (2006), but since they are very similar to our old method, they can not be considered independent. It would also have been useful to evaluate the new method on patient data, for example, monitoring blood pressure changes in a dialysis setting or respiration as part of a polysomnography test. Clinical feasibility studies are left for future studies.

#### 4.1. Continuous tracking of blood pressure changes

The arterial pulse wave transit time has been suggested as a method for indirect blood pressure measurement in many studies (Ahlstrom *et al* 2005a, Foo *et al* 2006, Newlin 1981). The pulse wave transit time is often measured as the time delay between the R-peak in the ECG and pulse arrival at a peripheral site such as the finger. Clearly, this measurement includes the  $RS_1$ -interval.

As mentioned in the introduction, the RS<sub>1</sub>-interval is very similar to the pre-ejection period. Some studies have presented results indicating that the pre-ejection period should be included in the transit time (Newlin 1981) while other studies suggest that the pre-ejection period should be excluded (Foo *et al* 2006, Payne *et al* 2006). The results in this study clearly show that the RS<sub>1</sub>-interval is strongly correlated to systolic blood pressure, indicating that improved tracking of blood pressure changes can be achieved by considering this parameter in the blood pressure estimations.

#### 4.2. Continuous monitoring of respiration

The respiration synchronous part of the  $RS_1$ -trace provides a non-intrusive measure that can be used for respiration monitoring (Johansson *et al* 2006). Since only the R-peak of the ECG is required to detect ventricular depolarization, a single multi-sensor including a microphone and an ECG electrode could be fitted in a convenient chest sensor.

Improvements with EA enhancement were limited. However, in the hypotension phase where noise heavily influenced the PCG signal, the new method resulted in a 13% increase in the amount of correct breath detections. This is a direct consequence of the improved accuracy obtained when using EA enhancement.

In addition to the respiratory fluctuations in the RS<sub>1</sub>-trace, respiratory information is also frequency and amplitude modulated into the ECG signal itself. In addition, transthoracic impedance can be measured via the ECG-electrodes. All these components can be merged with the RS<sub>1</sub>-trace in a data fusion approach to improve the accuracy and robustness of the breath detections. A deeper analysis of these ideas is beyond the scope of this article.

#### 5. Conclusions

ECG-gated ensemble averaging (EA) was investigated as a mean to emphasize occurrences of  $S_1$  in PCG signals. Localization errors were considerably reduced when using EA enhancement, even at low SNR. The improved localization performance proved useful for the two applications of continuous blood pressure measurement and respiration monitoring. A noninvasive and non-intrusive multi-sensor device able to measure ECG and PCG could be realized in a simple chest belt for monitoring respiration and blood pressure changes. Applications are seen in home health care as well as in exercise testing, sport sciences and certain clinical applications.

#### 6. Acknowledgements

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